

Projectile Motion

Objective:-

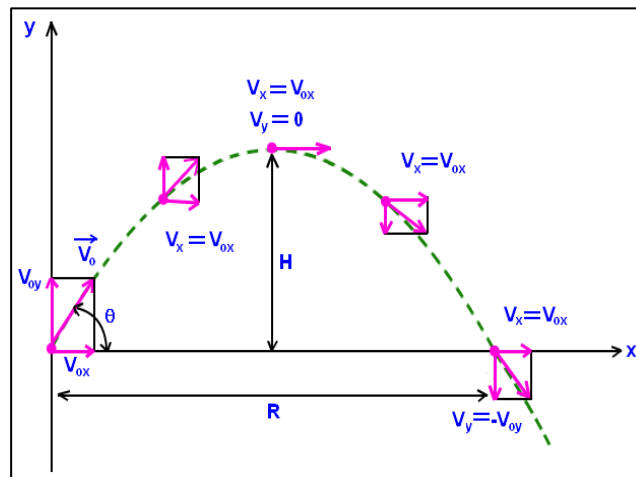
To calculate the initial velocity v_0 of the projectile.

Theory:-

A particle moves in a vertical plane with some initial velocity v_0 but its acceleration is always the freefall acceleration g , which is downward. Such a particle is called a **projectile** (meaning that it is projected or launched), and its motion is called **projectile motion**.

If neglecting frictional forces, such as air resistance, an object projected from a launcher undergoes a motion that is the simple vector combination of uniform velocity in the horizontal direction and uniform acceleration in the vertical direction (acceleration of gravity g) but the acceleration in x direction is **zero**. For a projectile launched with a speed v_0 at an angle θ_0 with respect to the positive x axis, it can be shown that the trajectory caused by such a combination predicts a **parabolic shape**.

In projectile motion, the horizontal motion and the vertical motion are independent of each other; that is, neither motion affects the other.



The horizontal range R of the projectile is the horizontal distance the projectile has travelled when it returns to its initial height and is given by:

$$R = \frac{v_0^2}{g} \sin 2\theta_0$$

$$v_0 = \sqrt{g \times \text{slope}}$$

The horizontal range R is maximum for a launch angle of 45° .

Apparatus:

Projectile Launcher	Plastic ball	Table
Paper target	Meter stick	



Procedure:

1. Be sure the Projectile Launcher and paper target **at the same height**.
2. The launcher has three ranges: each range is determined by a click in the spring launcher and is also marked on the side of the launcher. Be sure to use the **first click (short range setting)**.
3. Set up a projectile launcher at a 30° angle.
4. Fire the launcher, plastic ball now would leave a mark on the paper target. Measure the horizontal distance (**R**) by using a meter stick from the launcher to the paper.
5. Record the ranges for different values of θ_0 and tabulate the result.
6. Graph the relation between the **$\sin 2\theta_0$** on the **x-axis** and the **R** on the **y-axis** and **calculate the slope**.
7. Use the graph to calculate the **initial velocity v_0** .