

## **Full-wave rectifier analysis**

 he bridge rectifier ircuit is shown in his this Fig.

- V on T ≻≻is an ac(- ve and +ve) terminals
- At V<sub>ad</sub> i >> abcd
- At V<sub>da</sub> i >> dbca



# (2)

i, through R<sub>L</sub> >> in the same direction



The dc component is twice as large as in half-wave rectifie

$$I_{dc} = \frac{2}{\pi} \frac{V_m}{R_L} = \frac{2I_m}{\pi}$$

The disadvantageous of the bridge circuit is:

- Four diodes are needed
- Their power-dissipating voltage drops are always in series with the load.
- •This will reduce the power delivered to the lead

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•When  $v_1 + ve$ ,  $i_1 \gg D_1$ , no current flows through  $D_2$ 

• When  $v_2 + ve$ ,  $i_2 \gg D_2$ , no current flows through  $D_1$ 

•The current in R (I =  $i_1 + i_2$ )  $\therefore$   $I_{dc} = 2I_m/\pi$ 



## **Filters**

- **Rectification means direct current (dc)**
- The output current of the half-wave and full-wave rectifier ontain large ac components
- There is ripple voltage across R<sub>L</sub>

half-wave rectifier

full-wave rectifier



# Capacitor Filter Reduced the ripple voltage How?

The capacitor is shunted  $\gg >$  between R<sub>L</sub> and diode

- The charge store in the capacitor >> when D conducting
  >> during the positive period
  - The charge release from the capacitor >> when D nonconducting
    - >> during the negative period







$$V_L = V_2 e^{-(t-t_2)/R_L C}$$

rom this equation :

T = RC is the periodic time >> deepens on the values of R and C

 $i_L$  never goes to zero it  $\alpha$   $v_L$ 

• The dc components  $\gg > I_{dc}$  and  $V_{dc}$  are larger as compared to the

half-wave rectifier alone

The ripple voltage  $\gg V_r \gg voltage$  conducting diode  $\gg v$  reduced by se of the capacitor

 $V_r \gg very small when RC > T (the period of the supply voltage <math>\gg \gg$  the decay ir

## $V_{c} = V_{L}$ small $\gg \gg$ approximately straight line



**Capacitor Filter – Approximate Analysis** 

ASSUMPTION

• *RC large*  $\gg v_r$  small  $\gg t_2 - t_1$  small  $\gg v_c \cong$  constant

All the current >> supplied by the capacitor

The charge transferred to R<sub>L</sub>

$$\Delta q = I_{dc}T = C\Delta v_c = Cv_r$$
$$v_r = \frac{I_{dc}T}{C} = \frac{I_{dc}}{fC} = \frac{V_{dc}}{fR_LC}$$



#### EXAMPLE 9

A load ( $R_L = 3330 \Omega$ ) is to be supplied with 50 V at 15 mA with a ripple voltage no more than 1% of the dc voltage. Design a rectifier-filter to meet these specifications.

Assuming a 120-V, 60-Hz supply and the half-wave rectifier with capacitor filter of Fig. 3.32a, Eq. 3-46 is applicable. Solving for C,

$$C = \frac{V_{\rm dc}/V_{\rm r}}{fR_L} = \frac{100}{60 \times 3330} = 500 \ \mu \text{F}$$

For a peak value of 50 V, the rms value of transformer secondary voltage should be  $50/\sqrt{2} = 35.4$  V. The transformer turn ratio should be

$$\frac{N_1}{N_2} = \frac{V_1}{V_2} = \frac{120}{35.4} = 3.39$$

#### **Practice Problem 3-8**

Redraw Fig. 3.32b to show the load voltage  $V_L$  and the diode current  $i_D$  for a full-wave rectifier-capacitor filter supply. For a full-wave rectifier:

- (a) How many current pulses are there per second?
- (b) Derive the equation for  $V_r$  for this case.
- (c) What size capacitor is needed to meet the specifications of Example 9?

Answers: (a) 2f; (b)  $V_r = V_{dc}/2fR_LC$ ; (c) 250  $\mu$ F.



## HOMEWORK

- Redraw the circuit in Ex. 8 p. 82 when a capacitor of 1F is shunted between the diode and R<sub>L</sub>
- 2. Calculate the ripple voltage of this circuit
  - 3.Derive an equation to solve the ripple voltage for the full-wave rectifier circuit
    - 4. Practice Problem 3-8. Drawing and calculations